

Prof. Dr. Alfred Toth

Anfänge einer polykontexturalen Ontik

1. In Toth (2019a) hatten wir die semiotisch-ontische Isomorphie der dyadisch-trichotomischen topologischen Zeichenrelation $ZR^{2,3}$ als System von 9 isomorphen Paaren von Teilsystemen dargestellt.

1.1. (FI = MatSys = (1.1, 2.1)-System

1.1.1. Semiotisches System

(1.1)(2.1)	((1.1))(2.1)	(1.1)((2.1))	((2.1))(1.1)	(2.1)((1.1))	((1.1))((2.1))
(1.1)(2.1]	((1.1))(2.1]	(1.1)((2.1])	((2.1))(1.1]	(2.1)((1.1])	((1.1))((2.1])
(1.1)[2.1)	((1.1))[2.1)	(1.1)[(2.1))	((2.1))[1.1)	(2.1)[(1.1))	((1.1))[2.1))
(1.1)[2.1]	((1.1))[2.1]	(1.1)[(2.1)]	((2.1))[1.1]	(2.1)[(1.1)]	((1.1))[2.1]

(1.1](2.1)	((1.1)](2.1)	(1.1]((2.1))	((2.1)](1.1)	(2.1]((1.1))	((1.1)]((2.1))
(1.1](2.1]	((1.1)](2.1]	(1.1]((2.1])	((2.1)](1.1]	(2.1]((1.1])	(1.1]((2.1])
(1.1][2.1)	((1.1)][2.1)	(1.1][2.1))	((2.1)][1.1)	(2.1][1.1))	((1.1)][2.1))
(1.1][2.1]	((1.1)][2.1]	(1.1][2.1)]	((2.1)][1.1]	(2.1][1.1)]	((1.1)][2.1]

[1.1)(2.1)	[(1.1))(2.1)	[1.1)((2.1))	[(2.1))(1.1)	[2.1)((1.1))	[(1.1))((2.1))
[1.1)(2.1]	[(1.1))(2.1]	[1.1)((2.1])	[(2.1))(1.1]	[2.1)((1.1])	[(1.1))((2.1])
[1.1)[2.1)	[(1.1))[2.1)	[1.1)[(2.1))	[(2.1))[1.1)	[2.1)[(1.1))	[(1.1))[2.1))
[1.1)[2.1]	[(1.1))[2.1]	[1.1)[(2.1)]	[(2.1))[1.1]	[2.1)[(1.1)]	[(1.1))[2.1]

[1.1](2.1)	[(1.1)](2.1)	[1.1]((2.1))	[(2.1)](1.1)	[2.1]((1.1))	[(1.1)]((2.1))
[1.1](2.1]	[(1.1)](2.1]	[1.1]((2.1])	[(2.1)](1.1]	[2.1]((1.1])	[(1.1)]((2.1])
[1.1][2.1)	[(1.1)][2.1)	[1.1][2.1))	[(2.1)][1.1)	[2.1][1.1))	[(1.1)][2.1))
[1.1][2.1]	[(1.1)][2.1]	[1.1][2.1)]	[(2.1)][1.1]	[2.1][1.1)]	[(1.1)][2.1]

1.1.2. Ontisches System

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1.2. (FI = MatAbb= (1.1, 2.2)-System

1.2.1. Semiotisches System

(1.1)(2.2)	((1.1))(2.2)	(1.1)((2.2))	((2.2))(1.1)	(2.2)((1.1))	((1.1))((2.2))
(1.1)(2.2]	((1.1))(2.2]	(1.1)((2.2])	((2.2))(1.1]	(2.2)((1.1])	((1.1))((2.2])
(1.1)[2.2)	((1.1))[2.2)	(1.1)[(2.2))	((2.2))[1.1)	(2.2)[(1.1))	((1.1))[(2.2))
(1.1)[2.2]	((1.1))[2.2]	(1.1)[(2.2)]	((2.2))[1.1]	(2.2)[(1.1)]	((1.1))[(2.2)]
(1.1](2.2)	((1.1)](2.2)	(1.1]((2.2))	((2.2)](1.1)	(2.2]((1.1))	((1.1)]((2.2))
(1.1](2.2]	((1.1)](2.2]	(1.1]((2.2])	((2.2)](1.1]	(2.2]((1.1])	(1.1]((2.2])
(1.1][2.2)	((1.1)][2.2)	(1.1][(2.2))	((2.2)][1.1)	(2.2)][(1.1))	((1.1)][(2.2))
(1.1][2.2]	((1.1)][2.2]	(1.1][(2.2)]	((2.2)][1.1]	(2.2)][(1.1)]	((1.1)][(2.2)]
[1.1)(2.2)	[(1.1))(2.2)	[1.1)((2.2))	[(2.2))(1.1)	[2.2)((1.1))	[(1.1))((2.2))
[1.1)(2.2]	[(1.1))(2.2]	[1.1)((2.2])	[(2.2))(1.1]	[2.2)((1.1])	[(1.1))((2.2])
[1.1][2.2)	[(1.1))[2.2)	[1.1)[(2.2))	[(2.2))[1.1)	[2.2)[(1.1))	[(1.1))[(2.2))
[1.1][2.2]	[(1.1))[2.2]	[1.1)[(2.2)]	[(2.2))[1.1]	[2.2)[(1.1)]	[(1.1))[(2.2)]
[1.1](2.2)	[(1.1)](2.2)	[1.1]((2.2))	[(2.2)](1.1)	[2.2]((1.1))	[(1.1)]((2.2))
[1.1](2.2]	[(1.1)](2.2]	[1.1]((2.2])	[(2.2)](1.1]	[2.2]((1.1])	[(1.1)]((2.2])
[1.1][2.2)	[(1.1)][2.2)	[1.1][(2.2))	[(2.2)][1.1)	[2.2)][(1.1))	[(1.1)][(2.2))
[1.1][2.2]	[(1.1)][2.2]	[1.1][(2.2)]	[(2.2)][1.1]	[2.2)][(1.1)]	[(1.1)][(2.2)].

1.2.2. Ontisches System

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1.3. (FI = MatRep = (1.1, 2.3)-System

1.3.1. Semiotisches System

(1.1)(2.3)	((1.1))(2.3)	(1.1)((2.3))	((2.3))(1.1)	(2.3)((1.1))	((1.1))((2.3))
(1.1)(2.3]	((1.1))(2.3]	(1.1)((2.3])	((2.3))(1.1]	(2.3)((1.1])	((1.1))((2.3])
(1.1)[2.3)	((1.1))[2.3)	(1.1)[(2.3))	((2.3))[1.1)	(2.3)[(1.1))	((1.1))[(2.3))
(1.1)[2.3]	((1.1))[2.3]	(1.1)[(2.3)]	((2.3))[1.1]	(2.3)[(1.1)]	((1.1))[(2.3)]
(1.1](2.3)	((1.1)](2.3)	(1.1]((2.3))	((2.3)](1.1)	(2.3]((1.1))	((1.1)]((2.3))
(1.1](2.3]	((1.1)](2.3]	(1.1]((2.3])	((2.3)](1.1]	(2.3]((1.1])	(1.1]((2.3])
(1.1][2.3)	((1.1)][2.3)	(1.1][(2.3))	((2.3)][1.1)	(2.3)[(1.1))	((1.1)][(2.3))
(1.1][2.3]	((1.1)][2.3]	(1.1][(2.3)]	((2.3)][1.1]	(2.3)[(1.1)]	((1.1)][(2.3)]
[1.1)(2.3)	[(1.1))(2.3)	[1.1)((2.3))	[(2.3))(1.1)	[2.3)((1.1))	[(1.1))((2.3))
[1.1)(2.3]	[(1.1))(2.3]	[1.1)((2.3])	[(2.3))(1.1]	[2.3)((1.1])	[(1.1))((2.3])
[1.1][2.3)	[(1.1))[2.3)	[1.1)[(2.3))	[(2.3))[1.1)	[2.3)[(1.1))	[(1.1))[(2.3))
[1.1][2.3]	[(1.1))[2.3]	[1.1)[(2.3)]	[(2.3))[1.1]	[2.3)[(1.1)]	[(1.1))[(2.3)]
[1.1](2.3)	[(1.1)](2.3)	[1.1]((2.3))	[(2.3)](1.1)	[2.3]((1.1))	[(1.1)]((2.3))
[1.1](2.3]	[(1.1)](2.3]	[1.1]((2.3])	[(2.3)](1.1]	[2.3]((1.1])	[(1.1)]((2.3])
[1.1][2.3)	[(1.1)][2.3)	[1.1][(2.3))	[(2.3)][1.1)	[2.3][(1.1))	[(1.1)][(2.3))
[1.1][2.3]	[(1.1)][2.3]	[1.1][(2.3)]	[(2.3)][1.1]	[2.3][(1.1)]	[(1.1)][(2.3)].

1.3.2. Ontisches System

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1.4. (FI = StrSys = (1.2, 2.1)-System

1.4.1. Semiotisches System

(1.2)(2.1)	((1.2))(2.1)	(1.2)((2.1))	((2.1))(1.2)	(2.1)((1.2))	((1.2))((2.1))
(1.2)(2.1]	((1.2))(2.1]	(1.2)((2.1])	((2.1))(1.2]	(2.1)((1.2])	((1.2))((2.1])
(1.2)[2.1)	((1.2))[2.1)	(1.2)[(2.1))	((2.1))[1.2)	(2.1)[(1.2))	((1.2))[(2.1))
(1.2)[2.1]	((1.2))[2.1]	(1.2)[(2.1)]	((2.1))[1.2]	(2.1)[(1.2)]	((1.2))[(2.1)]
[1.2)(2.1)	[(1.2)](2.1)	[1.2]((2.1))	[(2.1)](1.2)	[2.1]((1.2))	[(1.2)]((2.1))
[1.2)(2.1]	[(1.2)](2.1]	[1.2]((2.1])	[(2.1)](1.2]	[2.1]((1.2])	[1.2]((2.1])
[1.2][2.1)	[(1.2)][2.1)	[1.2][(2.1))	[(2.1)][1.2)	[2.1][(1.2))	[(1.2)][(2.1))
[1.2][2.1]	[(1.2)][2.1]	[1.2][(2.1)]	[(2.1)][1.2]	[2.1][(1.2)]	[(1.2)][(2.1)]
[1.2](2.1)	[(1.2))(2.1)	[1.2]((2.1))	[(2.1))(1.2)	[2.1]((1.2))	[(1.2)]((2.1))
[1.2](2.1]	[(1.2))(2.1]	[1.2]((2.1])	[(2.1))(1.2]	[2.1]((1.2])	[(1.2)]((2.1])
[1.2][2.1)	[(1.2))[2.1)	[1.2][(2.1))	[(2.1))[1.2)	[2.1][(1.2))	[(1.2)][(2.1))
[1.2][2.1]	[(1.2))[2.1]	[1.2][(2.1)]	[(2.1))[1.2]	[2.1][(1.2)]	[(1.2)][(2.1)].

1.4.2. Ontisches System

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1.5. (FI = StrAbb= (1.2, 2.2)-System

1.5.1. Semiotisches System

(1.2)(2.2)	((1.2))(2.2)	(1.2)((2.2))	((2.2))(1.2)	(2.2)((1.2))	((1.2))((2.2))
(1.2)(2.2]	((1.2))(2.2]	(1.2)((2.2])	((2.2))(1.2]	(2.2)((1.2])	((1.2))((2.2])
(1.2)[2.2)	((1.2))[2.2)	(1.2)[(2.2))	((2.2))[1.2)	(2.2)[(1.2))	((1.2))[(2.2))
(1.2)[2.2]	((1.2))[2.2]	(1.2)[(2.2)]	((2.2))[1.2]	(2.2)[(1.2)]	((1.2))[(2.2)]
(1.2](2.2)	((1.2)](2.2)	(1.2]((2.2))	((2.2)](1.2)	(2.2]((1.2))	((1.2)]((2.2))
(1.2](2.2]	((1.2)](2.2]	(1.2]((2.2])	((2.2)](1.2]	(2.2]((1.2])	(1.2]((2.2])
(1.2][2.2)	((1.2)][2.2)	(1.2][(2.2))	((2.2)][1.2)	(2.2][(1.2))	((1.2)][(2.2))
(1.2][2.2]	((1.2)][2.2]	(1.2][(2.2)]	((2.2)][1.2]	(2.2][(1.2)]	((1.2)][(2.2)]
[1.2)(2.2)	[(1.2))(2.2)	[1.2)((2.2))	[(2.2))(1.2)	[2.2)((1.2))	[(1.2))((2.2))
[1.2)(2.2]	[(1.2))(2.2]	[1.2)((2.2])	[(2.2))(1.2]	[2.2)((1.2])	[(1.2))((2.2])
[1.2)[2.2)	[(1.2))[2.2)	[1.2)[(2.2))	[(2.2))[1.2)	[2.2)[(1.2))	[(1.2))[(2.2))
[1.2)[2.2]	[(1.2))[2.2]	[1.2)[(2.2)]	[(2.2))[1.2]	[2.2)[(1.2)]	[(1.2))[(2.2)]
[1.2](2.2)	[(1.2)](2.2)	[1.2]((2.2))	[(2.2)](1.2)	[2.2]((1.2))	[(1.2)]((2.2))
[1.2](2.2]	[(1.2)](2.2]	[1.2]((2.2])	[(2.2)](1.2]	[2.2]((1.2])	[(1.2)]((2.2])
[1.2][2.2)	[(1.2)][2.2)	[1.2][(2.2))	[(2.2)][1.2)	[2.2][(1.2))	[(1.2)][(2.2))
[1.2][2.2]	[(1.2)][2.2]	[1.2][(2.2)]	[(2.2)][1.2]	[2.2][(1.2)]	[(1.2)][(2.2)].

1.5.2. Ontisches System

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[Str][Abb) [(Str)][Abb) [Str][(Abb)) [(Abb)][Str] [Abb][(Str)) [(Str)][(Abb))

[Str][Abb] [(Str)][Abb] [Str][(Abb)] [(Abb)][Str] [Abb][(Str)] [(Str)][(Abb)].

1.6. (FI = StrRep = (1.2, 2.3)-System

1.6.1. Semiotisches System

$(1.2)(2.3)$	$((1.2))(2.3)$	$(1.2)((2.3))$	$((2.3))(1.2)$	$(2.3)((1.2))$	$((1.2))((2.3))$
$(1.2)(2.3]$	$((1.2))(2.3]$	$(1.2)((2.3])$	$((2.3))(1.2]$	$(2.3)((1.2])$	$((1.2))((2.3])$
$(1.2)[2.3)$	$((1.2))[2.3)$	$(1.2)[(2.3))$	$((2.3))[1.2)$	$(2.3)[(1.2))$	$((1.2))[(2.3))$
$(1.2)[2.3]$	$((1.2))[2.3]$	$(1.2)[(2.3)]$	$((2.3))[1.2]$	$(2.3)[(1.2)]$	$((1.2))[(2.3)]$
$(1.2](2.3)$	$((1.2)](2.3)$	$(1.2]((2.3))$	$((2.3)](1.2)$	$(2.3]((1.2))$	$((1.2)]((2.3))$
$(1.2](2.3]$	$((1.2)](2.3]$	$(1.2]((2.3])$	$((2.3)](1.2]$	$(2.3]((1.2])$	$((1.2)]((2.3])$
$(1.2][2.3)$	$((1.2)][2.3)$	$(1.2][(2.3))$	$((2.3)][1.2)$	$(2.3)[(1.2))$	$((1.2)][(2.3))$
$(1.2][2.3]$	$((1.2)][2.3]$	$(1.2][(2.3)]$	$((2.3)][1.2]$	$(2.3)[(1.2)]$	$((1.2)][(2.3)]$
$[1.2)(2.3)$	$[(1.2))(2.3)$	$[1.2)((2.3))$	$[(2.3))(1.2)$	$[2.3)((1.2))$	$[(1.2))((2.3))$
$[1.2)(2.3]$	$[(1.2))(2.3]$	$[1.2)((2.3])$	$[(2.3))(1.2]$	$[2.3)((1.2])$	$[(1.2))((2.3])$
$[1.2][2.3)$	$[(1.2))[2.3)$	$[1.2)[(2.3))$	$[(2.3))[1.2)$	$[2.3)[(1.2))$	$[(1.2))[(2.3))$
$[1.2][2.3]$	$[(1.2))[2.3]$	$[1.2)[(2.3)]$	$[(2.3))[1.2]$	$[2.3)[(1.2)]$	$[(1.2))[(2.3)]$
$[1.2](2.3)$	$[(1.2)](2.3)$	$[1.2]((2.3))$	$[(2.3)](1.2)$	$[2.3]((1.2))$	$[(1.2)]((2.3))$
$[1.2](2.3]$	$[(1.2)](2.3]$	$[1.2]((2.3])$	$[(2.3)](1.2]$	$[2.3]((1.2])$	$[(1.2)]((2.3])$
$[1.2][2.3)$	$[(1.2)][2.3)$	$[1.2][(2.3))$	$[(2.3)][1.2)$	$[2.3][(1.2))$	$[(1.2)][(2.3))$
$[1.2][2.3]$	$[(1.2)][2.3]$	$[1.2][(2.3)]$	$[(2.3)][1.2]$	$[2.3][(1.2)]$	$[(1.2)][(2.3)].$

1.6.2. Ontisches System

(Str)(Rep) ((Str))(Rep) (Str)((Rep)) ((Rep))(Str) (Rep)((Str)) ((Str))((Rep))
(Str)(Rep] ((Str))(Rep] (Str)((Rep)] ((Rep))(Str] (Rep)((Str)] ((Str))((Rep)]
(Str)[Rep) ((Str))[Rep) (Str)[(Rep)) ((Rep))[Str] (Rep)[(Str)) ((Str))[Rep))
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(Str][Rep) ((Str)][Rep) (Str][Rep)) ((Rep)][Str] (Rep][Str)) ((Str)][Rep))
(Str][Rep] ((Str)][Rep] (Str][Rep)] ((Rep)][Str] (Rep][Str)] ((Str)][Rep]

[Str)(Rep) [(Str))(Rep) [Str)((Rep)) [(Rep))(Str) [Rep)((Str)) [(Str))((Rep))
[Str)(Rep] [(Str))(Rep] [Str)((Rep)] [(Rep))(Str] [Rep)((Str)] [(Str))((Rep)]
[Str][Rep) [(Str))[Rep) [Str][(Rep)) [(Rep))[Str] [Rep][(Str)) [(Str)][Rep))
[Str][Rep] [(Str))[Rep] [Str][(Rep)] [(Rep))[Str] [Rep][(Str)] [(Str)][Rep]

[Str](Rep) [(Str)](Rep) [Str]((Rep)) [(Rep)](Str) [Rep]((Str)) [(Str)]((Rep))
[Str](Rep] [(Str)](Rep] [Str]((Rep)] [(Rep)](Str] [Rep]((Str)] [(Str)]((Rep)]
[Str][Rep) [(Str)][Rep) [Str][Rep)) [(Rep)][Str] [Rep][Str)) [(Str)][Rep))
[Str][Rep] [(Str)][Rep] [Str][Rep)] [(Rep)][Str] [Rep][Str)] [(Str)][Rep].

1.7. (FI = ObjSys = (1.3, 2.1)-System

1.7.1. Semiotisches System

(1.3)(2.1)	((1.3))(2.1)	(1.3)((2.1))	((2.1))(1.3)	(2.1)((1.3))	((1.3))((2.1))
(1.3)(2.1]	((1.3))(2.1]	(1.3)((2.1])	((2.1))(1.3]	(2.1)((1.3])	((1.3))((2.1])
(1.3)[2.1)	((1.3))[2.1)	(1.3)[(2.1))	((2.1))[1.3)	(2.1)[(1.3))	((1.3))[(2.1))
(1.3)[2.1]	((1.3))[2.1]	(1.3)[(2.1)]	((2.1))[1.3]	(2.1)[(1.3)]	((1.3))[(2.1)]
(1.3](2.1)	((1.3)](2.1)	(1.3]((2.1))	((2.1)](1.3)	(2.1]((1.3))	((1.3)]((2.1))
(1.3](2.1]	((1.3)](2.1]	(1.3]((2.1])	((2.1)](1.3]	(2.1]((1.3])	(1.3]((2.1])
(1.3][2.1)	((1.3)][2.1)	(1.3][(2.1))	((2.1)][1.3)	(2.1)][(1.3))	((1.3)][(2.1))
(1.3][2.1]	((1.3)][2.1]	(1.3][(2.1)]	((2.1)][1.3]	(2.1)][(1.3)]	((1.3)][(2.1)]
[1.3)(2.1)	[(1.3))(2.1)	[1.3)((2.1))	[(2.1))(1.3)	[2.1)((1.3))	[(1.3))((2.1))
[1.3)(2.1]	[(1.3))(2.1]	[1.3)((2.1])	[(2.1))(1.3]	[2.1)((1.3])	[(1.3))((2.1])
[1.3)[2.1)	[(1.3))[2.1)	[1.3)[(2.1))	[(2.1))[1.3)	[2.1)[(1.3))	[(1.3))[(2.1))
[1.3)[2.1]	[(1.3))[2.1]	[1.3)[(2.1)]	[(2.1))[1.3]	[2.1)[(1.3)]	[(1.3))[(2.1)]
[1.3](2.1)	[(1.3)](2.1)	[1.3]((2.1))	[(2.1)](1.3)	[2.1]((1.3))	[(1.3)]((2.1))
[1.3](2.1]	[(1.3)](2.1]	[1.3]((2.1])	[(2.1)](1.3]	[2.1]((1.3])	[(1.3)]((2.1])
[1.3][2.1)	[(1.3)][2.1)	[1.3][(2.1))	[(2.1)][1.3)	[2.1][(1.3))	[(1.3)][(2.1))
[1.3][2.1]	[(1.3)][2.1]	[1.3][(2.1)]	[(2.1)][1.3]	[2.1][(1.3)]	[(1.3)][(2.1)].

1.7.2. Ontisches System

(Obj)(Sys)	((Obj))(Sys)	(Obj)((Sys))	((Sys))(Obj)	(Sys)((Obj))	((Obj))((Sys))
(Obj)(Sys]	((Obj))(Sys]	(Obj)((Sys])	((Sys))(Obj]	(Sys)((Obj])	((Obj))((Sys])
(Obj)[Sys)	((Obj))[Sys)	(Obj)[(Sys))	((Sys))[Obj)	(Sys)[(Obj))	((Obj))[(Sys))
(Obj)[Sys]	((Obj))[Sys]	(Obj)[(Sys)]	((Sys))[Obj]	(Sys)[(Obj)]	((Obj))[(Sys)]

(Obj](Sys)	((Obj)](Sys)	(Obj]((Sys))	((Sys)](Obj)	(Sys]((Obj))	((Obj)]((Sys))
(Obj](Sys]	((Obj)](Sys]	(Obj]((Sys])	((Sys)](Obj]	(Sys]((Obj])	((Obj)]((Sys])
(Obj])[Sys)	((Obj])[Sys)	(Obj])[(Sys))	((Sys)](Obj)	(Sys])[(Obj))	((Obj])[(Sys))
(Obj])[Sys]	((Obj])[Sys]	(Obj])[(Sys)]	((Sys)](Obj]	(Sys])[(Obj)]	((Obj])[(Sys)]

[Obj)(Sys)	[(Obj))(Sys)	[Obj)((Sys))	[(Sys))(Obj)	[Sys)((Obj))	[(Obj))((Sys))
[Obj)(Sys]	[(Obj))(Sys]	[Obj)((Sys])	[(Sys))(Obj]	[Sys)((Obj])	[(Obj))((Sys])
[Obj][Sys)	[(Obj))[Sys)	[Obj][(Sys))	[(Sys))[Obj)	[Sys][(Obj))	[(Obj))[(Sys))
[Obj][Sys]	[(Obj))[Sys]	[Obj][(Sys)]	[(Sys))[Obj]	[Sys][(Obj)]	[(Obj))[(Sys)]

[Obj](Sys)	[(Obj)](Sys)	[Obj]((Sys))	[(Sys)](Obj)	[Sys]((Obj))	[(Obj)]((Sys))
[Obj](Sys]	[(Obj)](Sys]	[Obj]((Sys])	[(Sys)](Obj]	[Sys]((Obj])	[(Obj)]((Sys])
[Obj][Sys)	[(Obj)] [Sys)	[Obj][(Sys))	[(Sys)](Obj)	[Sys][(Obj))	[(Obj)] [(Sys))
[Obj][Sys]	[(Obj)] [Sys]	[Obj][(Sys)]	[(Sys)](Obj]	[Sys][(Obj)]	[(Obj)] [(Sys)].

1.8. (FI = ObjAbb= (1.3, 2.2)-System

1.8.1. Semiotisches System

(1.3)(2.2)	((1.3))(2.2)	(1.3)((2.2))	((2.2))(1.3)	(2.2)((1.3))	((1.3))((2.2))
(1.3)(2.2]	((1.3))(2.2]	(1.3)((2.2])	((2.2))(1.3]	(2.2)((1.3])	((1.3))((2.2])
(1.3)[2.2)	((1.3))[2.2)	(1.3)[(2.2))	((2.2))[1.3)	(2.2)[(1.3))	((1.3))[(2.2))
(1.3)[2.2]	((1.3))[2.2]	(1.3)[(2.2)]	((2.2))[1.3]	(2.2)[(1.3)]	((1.3))[(2.2)]
(1.3](2.2)	((1.3)](2.2)	(1.3]((2.2))	((2.2)](1.3)	(2.2]((1.3))	((1.3)]((2.2))
(1.3](2.2]	((1.3)](2.2]	(1.3]((2.2])	((2.2)](1.3]	(2.2]((1.3])	(1.3]((2.2])
(1.3][2.2)	((1.3)][2.2)	(1.3][(2.2))	((2.2)][1.3)	(2.2)][(1.3))	((1.3)][(2.2))
(1.3][2.2]	((1.3)][2.2]	(1.3][(2.2)]	((2.2)][1.3]	(2.2)][(1.3)]	((1.3)][(2.2)]
[1.3)(2.2)	[(1.3))(2.2)	[1.3)((2.2))	[(2.2))(1.3)	[2.2)((1.3))	[(1.3))((2.2))
[1.3)(2.2]	[(1.3))(2.2]	[1.3)((2.2])	[(2.2))(1.3]	[2.2)((1.3])	[(1.3))((2.2])
[1.3][2.2)	[(1.3))[2.2)	[1.3)[(2.2))	[(2.2))[1.3)	[2.2)[(1.3))	[(1.3))[(2.2))
[1.3][2.2]	[(1.3))[2.2]	[1.3)[(2.2)]	[(2.2))[1.3]	[2.2)[(1.3)]	[(1.3))[(2.2)]
[1.3](2.2)	[(1.3)](2.2)	[1.3]((2.2))	[(2.2)](1.3)	[2.2]((1.3))	[(1.3)]((2.2))
[1.3](2.2]	[(1.3)](2.2]	[1.3]((2.2])	[(2.2)](1.3]	[2.2]((1.3])	[(1.3)]((2.2])
[1.3][2.2)	[(1.3)][2.2)	[1.3][(2.2))	[(2.2)][1.3)	[2.2)][(1.3))	[(1.3)][(2.2))
[1.3][2.2]	[(1.3)][2.2]	[1.3][(2.2)]	[(2.2)][1.3]	[2.2)][(1.3)]	[(1.3)][(2.2)].

1.8.2. Ontisches System

(Obj)(Abb) ((Obj))(Abb) (Obj)((Abb)) ((Abb))(Obj) (Abb)((Obj)) ((Obj))((Abb))

(Obj)(Abb] ((Obj))(Abb] (Obj)((Abb]) ((Abb))(Obj] (Abb)((Obj]) ((Obj))((Abb])

(Obj)[Abb) ((Obj))[Abb) (Obj)[(Abb)) ((Abb))[Obj] (Abb)[(Obj)) ((Obj))[(Abb))

(Obj)[Abb] ((Obj))[Abb] (Obj)[(Abb)] ((Abb))[Obj] (Abb)[(Obj)] ((Obj))[(Abb)]

(Obj](Abb) ((Obj)](Abb) (Obj]((Abb)) ((Abb)](Obj) (Abb]((Obj)) ((Obj)]((Abb))

(Obj](Abb] ((Obj)](Abb] (Obj]((Abb]) ((Abb)](Obj] (Abb]((Obj]) (Obj]((Abb])

(Obj])[Abb) ((Obj])[Abb) (Obj])[(Abb)) ((Abb)](Obj] (Abb)](Obj)) ((Obj)]((Abb))

(Obj])[Abb] ((Obj])[Abb] (Obj])[(Abb)] ((Abb)](Obj] (Abb)](Obj)] ((Obj)]((Abb)]

[Obj)(Abb) [(Obj))(Abb) [Obj]((Abb)) [(Abb))(Obj) [Abb]((Obj)) [(Obj))((Abb))

[Obj)(Abb] [(Obj))(Abb] [Obj]((Abb]) [(Abb))(Obj] [Abb]((Obj]) [(Obj))((Abb])

[Obj)[Abb) [(Obj))[Abb) [Obj][(Abb)) [(Abb))[Obj] [Abb][(Obj)) [(Obj))[(Abb))

[Obj)[Abb] [(Obj))[Abb] [Obj][(Abb)] [(Abb))[Obj] [Abb][(Obj)] [(Obj))[(Abb)]

[Obj](Abb) [(Obj)](Abb) [Obj]((Abb)) [(Abb)](Obj) [Abb]((Obj)) [(Obj)]((Abb))

[Obj](Abb] [(Obj)](Abb] [Obj]((Abb]) [(Abb)](Obj] [Abb]((Obj]) [(Obj)]((Abb])

[Obj][Abb) [(Obj)][Abb) [Obj][(Abb)) [(Abb)](Obj] [Abb][(Obj)) [(Obj)][(Abb))

[Obj][Abb] [(Obj)][Abb] [Obj][(Abb)] [(Abb)](Obj] [Abb][(Obj)] [(Obj)][(Abb)].

1.9. (FI = ObjRep = (1.3, 2.3)-System

1.9.1. Semiotisches System

(1.3)(2.3)	((1.3))(2.3)	(1.3)((2.3))	((2.3))(1.3)	(2.3)((1.3))	((1.3))((2.3))
(1.3)(2.3]	((1.3))(2.3]	(1.3)((2.3])	((2.3))(1.3]	(2.3)((1.3])	((1.3))((2.3])
(1.3)[2.3)	((1.3))[2.3)	(1.3)[(2.3))	((2.3))[1.3)	(2.3)[(1.3))	((1.3))[(2.3))
(1.3)[2.3]	((1.3))[2.3]	(1.3)[(2.3)]	((2.3))[1.3]	(2.3)[(1.3)]	((1.3))[(2.3)]
(1.3](2.3)	((1.3)](2.3)	(1.3]((2.3))	((2.3)](1.3)	(2.3]((1.3))	((1.3)]((2.3))
(1.3](2.3]	((1.3)](2.3]	(1.3]((2.3])	((2.3)](1.3]	(2.3]((1.3])	(1.3]((2.3])
(1.3][2.3)	((1.3)][2.3)	(1.3][(2.3))	((2.3)][1.3)	(2.3)[(1.3))	((1.3)][(2.3))
(1.3][2.3]	((1.3)][2.3]	(1.3][(2.3)]	((2.3)][1.3]	(2.3)[(1.3)]	((1.3)][(2.3)]
[1.3)(2.3)	[(1.3))(2.3)	[1.3)((2.3))	[(2.3))(1.3)	[2.3)((1.3))	[(1.3))((2.3))
[1.3)(2.3]	[(1.3))(2.3]	[1.3)((2.3])	[(2.3))(1.3]	[2.3)((1.3])	[(1.3))((2.3])
[1.3)[2.3)	[(1.3))[2.3)	[1.3)[(2.3))	[(2.3))[1.3)	[2.3)[(1.3))	[(1.3))[(2.3))
[1.3)[2.3]	[(1.3))[2.3]	[1.3)[(2.3)]	[(2.3))[1.3]	[2.3)[(1.3)]	[(1.3))[(2.3)]
[1.3](2.3)	[(1.3)](2.3)	[1.3]((2.3))	[(2.3)](1.3)	[2.3]((1.3))	[(1.3)]((2.3))
[1.3](2.3]	[(1.3)](2.3]	[1.3]((2.3])	[(2.3)](1.3]	[2.3]((1.3])	[(1.3)]((2.3])
[1.3][2.3)	[(1.3)][2.3)	[1.3][(2.3))	[(2.3)][1.3)	[2.3][(1.3))	[(1.3)][(2.3))
[1.3][2.3]	[(1.3)][2.3]	[1.3][(2.3)]	[(2.3)][1.3]	[2.3][(1.3)]	[(1.3)][(2.3)].

1.9.2. Ontisches System

(Obj)(Rep) ((Obj))(Rep) (Obj)((Rep)) ((Rep))(Obj) (Rep)((Obj)) ((Obj))((Rep))

(Obj)(Rep] ((Obj))(Rep] (Obj)((Rep)] ((Rep))(Obj] (Rep)((Obj)] ((Obj))((Rep)]

(Obj)[Rep) ((Obj))[Rep) (Obj)[(Rep)) ((Rep))[Obj] (Rep)[(Obj)) ((Obj))[Rep)

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[Obj)(Rep) [(Obj))(Rep) [Obj)((Rep)) [(Rep))(Obj] [Rep)((Obj)) [(Obj))((Rep))

[Obj)(Rep] [(Obj))(Rep] [Obj)((Rep)] [(Rep))(Obj] [Rep)((Obj)] [(Obj))((Rep)]

[Obj][Rep) [(Obj))[Rep) [Obj]((Rep)) [(Rep))[Obj] [Rep]((Obj)) [(Obj))[Rep)

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[Obj](Rep) [(Obj)](Rep) [Obj]((Rep)) [(Rep)](Obj) [Rep]((Obj)) [(Obj)]((Rep))

[Obj](Rep] [(Obj)](Rep] [Obj]((Rep)] [(Rep)](Obj] [Rep]((Obj)] [(Obj)]((Rep)]

[Obj][Rep) [(Obj)][Rep) [Obj]((Rep)) [(Rep)][Obj] [Rep]((Obj)) [(Obj)][Rep)

[Obj][Rep] [(Obj)][Rep] [Obj]((Rep)] [(Rep)][Obj] [Rep]((Obj)] [(Obj)][Rep].

2. Gehen wir aus von der in Toth (2019b) eingeführten dyadisch-trichotomischen Zeichenrelation

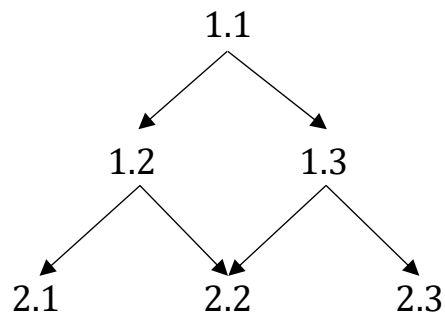
$$Z^{2,3} = ((w.x), (y.z))$$

mit $w \dots z \in (1, 2, 3)$,

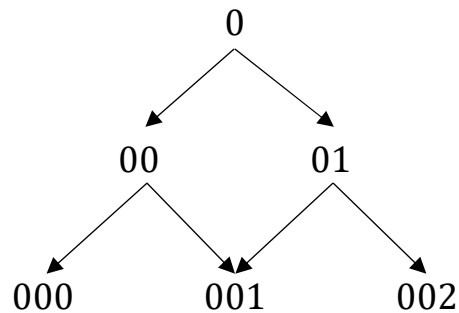
dessen Fundierungsmatrix

	.1	.2	.3
1.	1.1	1.2	1.3
2.	2.1	2.2	2.3

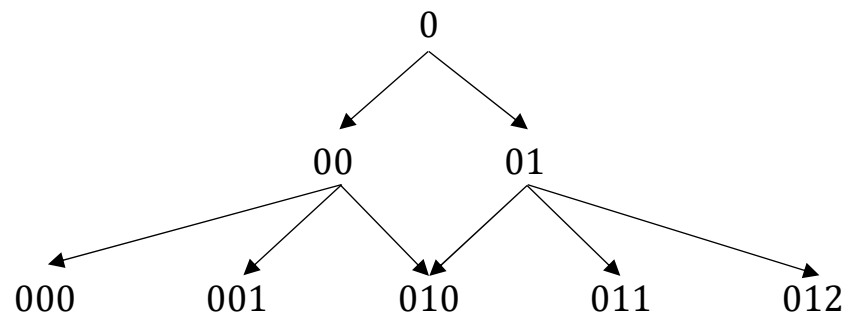
Ist, dann können wir diese in einer Pseudo-Proto-Darstellung wie folgt anordnen



Dagegen ist die echte Proto- und die ihr gleiche Deutero-Darstellung für die Kontexturen K = 1 bis K = 3



Die entsprechende Trito-Darstellung ist dagegen



Das bedeutet also, daß die Tritozahlen 010 und 011 einen *qualitative gap* zwischen den Subzeichen (2.2) und (2.3) überbrücken (vgl. Toth 2019c).

Die bedeutendste Erkenntnis ist allerdings die, daß wir erstmals in der Geschichte der polykontexturalen Semiotik, die mit Kronthaler (1992) und Toth (2003) begonnen hatte, imstande sind, die 6 Subzeichen von $Z^{2,3}$ einer (bijektiven) Kenose zu unterziehen, denn aus dem Vergleich der Pseudo-Proto-Deutero-Struktur von $Z^{2,3}$ und der Proto-Deutero-Struktur von $K = 1$ bis $K = 3$ folgt

$$(1.1) \leftrightarrow 0$$

$$(1.2) \leftrightarrow 00$$

$$(1.3) \rightarrow 01$$

$$(2.1) \leftrightarrow 000$$

$$(2.2) \leftrightarrow 001$$

$$(2.3) \leftrightarrow 012.$$

Was die dyadische Form-Inhalts (FI)-Differenz von $Z^{2,3}$ betrifft, so können wir die obigen umkehrbar eindeutigen Zuordnungen weiter wie folgt kategorisieren

$$(1.1) \leftrightarrow 0 \quad F \cup I$$

$$(1.2) \leftrightarrow 00 \quad \left. \vphantom{\begin{matrix} (1.2) \\ (1.3) \end{matrix}} \right\}$$

$$(1.3) \rightarrow 01 \quad \left. \vphantom{\begin{matrix} (1.2) \\ (1.3) \end{matrix}} \right\} F$$

$$(2.1) \leftrightarrow 000 \quad \left. \vphantom{\begin{matrix} (2.1) \\ (2.2) \\ (2.3) \end{matrix}} \right\}$$

$$(2.2) \leftrightarrow 001 \quad \left. \vphantom{\begin{matrix} (2.1) \\ (2.2) \\ (2.3) \end{matrix}} \right\} I$$

$$(2.3) \leftrightarrow 012. \quad \left. \vphantom{\begin{matrix} (2.1) \\ (2.2) \\ (2.3) \end{matrix}} \right\}$$

3. Vermöge dieser Bijektionen zwischen monokontexturalen Subzeichen von Peirce-Zahlen und polykontexturalen Proto-/Deutero-Zahlen können wir nun das gesamte System der ontischen-semiotischen Isomorphie direkt auf seine morphogenetische „Tiefenstruktur“, d.h. auf die kenogrammatische Ebene abbilden.

3.1. (FI = MatSys = (1.1, 2.1)-System

(0)(000)	((0))(000)	(0)((000))	((000))(0)	(000)((0))	((0))((000))
(0)(000]	((0))(000]	(0)((000)]	((000))(0]	(000)((0)]	((0))((000)]
(0)[000)	((0))[000)	(0)[(000))	((000))[0)	(000)[(0))	((0))[((000))
(0)[000]	((0))[000]	(0)[(000)]	((000))[0]	(000)[(0)]	((0))[((000)]

(0](000)	((0)](000)	(0]((000))	((000)](0)	(000]((0))	((0)]((000))
(0](000]	((0)](000]	(0]((000)]	((000)](0]	(000]((0)]	(0]((000)]
(0][000)	((0)][000)	(0][((000))	((000)][0)	(000)][(0))	((0)][((000))
(0][000]	((0)][000]	(0][((000)]	((000)][0]	(000)][(0)]	((0)][((000)]

[0)(000)	[(0))(000)	[0)((000))	[(000))(0)	[000)((0))	[(0))((000))
[0)(000]	[(0))(000]	[0)((000)]	[(000))(0]	[000)((0)]	[(0))((000)]
[0][000)	[(0))[000)	[0)[(000))	[(000))[0)	[000)[(0))	[(0))[((000))
[0][000]	[(0))[000]	[0)[(000)]	[(000))[0]	[000)[(0)]	[(0))[((000)]

[0](000)	[(0)](000)	[0]((000))	[(000)](0)	[000]((0))	[(0)]((000))
[0](000]	[(0)](000]	[0]((000)]	[(000)](0]	[000]((0)]	[(0)]((000)]
[0][000)	[(0)][000)	[0][((000))	[(000)][0)	[000)][(0))	[(0)][((000))
[0][000]	[(0)][000]	[0][((000)]	[(000)][0]	[000)][(0)]	[(0)][((000)].

3.2. (FI = MatAbb= (1.1, 2.2)-System

(0)(001)	((0))(001)	(0)((001))	((001))(0)	(001)((0))	((0))((001))
(0)(001]	((0))(001]	(0)((001])	((001))(0]	(001)((0)]	((0))((001])
(0)[001)	((0))[001)	(0)[(001))	((001))[0)	(001)[(0))	((0))[((001))
(0)[001]	((0))[001]	(0)[(001)]	((001))[0]	(001)[(0)]	((0))[((001)]

(0](001)	((0)](001)	(0]((001))	((001)](0)	(001]((0))	((0)]((001))
(0](001]	((0)](001]	(0]((001])	((001)](0]	(001]((0)]	(0]((001])
(0][001)	((0)][001)	(0][((001))	((001)][0)	(001][((0))	((0)][((001))
(0][001]	((0)][001]	(0][((001)]	((001)][0]	(001][((0)]	((0)][((001)]

[0)(001)	[(0))(001)	[0)((001))	[(001))(0)	[001)((0))	[(0))((001))
[0)(001]	[(0))(001]	[0)((001])	[(001))(0]	[001)((0)]	[(0))((001])
[0][001)	[(0))[001)	[0)[(001))	[(001))[0)	[001)[(0))	[(0))[((001))
[0][001]	[(0))[001]	[0)[(001)]	[(001))[0]	[001)[(0)]	[(0))[((001)]

[0](001)	[(0)](001)	[0]((001))	[(001)](0)	[001]((0))	[(0)]((001))
[0](001]	[(0)](001]	[0]((001])	[(001)](0]	[001]((0)]	[(0)]((001])
[0][001)	[(0)][001)	[0][((001))	[(001)][0)	[001][((0))	[(0)][((001))
[0][001]	[(0)][001]	[0][((001)]	[(001)][0]	[001][((0)]	[(0)][((001)]

3.3. (FI = MatRep = (1.1, 2.3)-System

(0)(012)	((0))(012)	(0)((012))	((012))(0)	(012)((0))	((0))((012))
(0)(012]	((0))(012]	(0)((012])	((012))(0]	(012)((0)]	((0))((012])
(0)[012)	((0))[012)	(0)[(012))	((012))[0)	(012)[(0))	((0))[(012))
(0)[012]	((0))[012]	(0)[(012)]	((012))[0]	(012)[(0)]	((0))[(012)]

(0](012)	((0)](012)	(0]((012))	((012)](0)	(012]((0))	((0)]((012))
(0](012]	((0)](012]	(0]((012])	((012)](0]	(012]((0)]	(0]((012])
(0][012)	((0)][012)	(0][(012))	((012)][0)	(012)][(0))	((0)][(012))
(0][012]	((0)][012]	(0][(012)]	((012)][0]	(012)][(0)]	((0)][(012)]

[0)(012)	[(0))(012)	[0)((012))	[(012))(0)	[012)((0))	[(0))((012))
[0)(012]	[(0))(012]	[0)((012])	[(012))(0]	[012)((0)]	[(0))((012])
[0][012)	[(0))[012)	[0][(012))	[(012))[0)	[012)[(0))	[(0))[(012))
[0][012]	[(0))[012]	[0][(012)]	[(012))[0]	[012)[(0)]	[(0))[(012)]

[0](012)	[(0)](012)	[0]((012))	[(012)](0)	[012]((0))	[(0)]((012))
[0](012]	[(0)](012]	[0]((012])	[(012)](0]	[012]((0)]	[(0)]((012])
[0][012)	[(0)][012)	[0][(012))	[(012)][0)	[012)][(0))	[(0)][(012))
[0][012]	[(0)][012]	[0][(012)]	[(012)][0]	[012)][(0)]	[(0)][(012)].

3.4. (FI = StrSys = (1.2, 2.1)-System

(00)(000)	((00))(000)	(00)((000))	((000))(00)	(000)((00))	((00))((000))
(00)(000]	((00))(000]	(00)((000])	((000))(00]	(000)((00])	((00))((000])
(00)[000)	((00))[000)	(00)[(000))	((000))[00)	(000)[(00))	((00))[((000))
(00)[000]	((00))[000]	(00)[(000)]	((000))[00]	(000)[(00)]	((00))[((000)]

(00](000)	((00)](000)	(00]((000))	((000)](00)	(000]((00))	((00)]((000))
(00](000]	((00)](000]	(00]((000])	((000)](00]	(000]((00])	((00)]((000])
(00][000)	((00)][000)	(00][((000))	((000)][00)	(000][((00))	((00)][((000))
(00][000]	((00)][000]	(00][((000)]	((000)][00]	(000][((00)]	((00)][((000)]

[00)(000)	[(00))(000)	[00)((000))	[(000))(00)	[000)((00))	[(00))((000))
[00)(000]	[(00))(000]	[00)((000])	[(000))(00]	[000)((00])	[(00))((000])
[00][000)	[(00))[000)	[00)[(000))	[(000))[00)	[000)[(00))	[(00))[((000))
[00][000]	[(00))[000]	[00)[(000)]	[(000))[00]	[000)[(00)]	[(00))[((000)]

[00](000)	[(00)](000)	[00]((000))	[(000)](00)	[000]((00))	[(00)]((000))
[00](000]	[(00)](000]	[00]((000])	[(000)](00]	[000]((00])	[(00)]((000])
[00][000)	[(00)][000)	[00][((000))	[(000)][00)	[000][((00))	[(00)][((000))
[00][000]	[(00)][000]	[00][((000)]	[(000)][00]	[000][((00)]	[(00)][((000)].

3.5. (FI = StrAbb= (1.2, 2.2)-System

(00)(001)	((00))(001)	(00)((001))	((001))(00)	(001)((00))	((00))((001))
(00)(001]	((00))(001]	(00)((001])	((001))(00]	(001)((00])	((00))((001])
(00)[001)	((00))[001)	(00)[(001))	((001))[00)	(001)[(00))	((00))[((001))
(00)[001]	((00))[001]	(00)[(001)]	((001))[00]	(001)[(00)]	((00))[((001)]

(00](001)	((00)](001)	(00]((001))	((001)](00)	(001]((00))	((00)]((001))
(00](001]	((00)](001]	(00]((001])	((001)](00]	(001]((00])	((00)]((001])
(00][001)	((00)][001)	(00][[(001))	((001)][00)	(001)[[(00))	((00)][[((001))
(00][001]	((00)][001]	(00)[[(001)]	((001)][00]	(001)[[(00)]	((00)][[((001)]

[00)(001)	[(00))(001)	[00)((001))	[(001))(00)	[001)((00))	[(00))((001))
[00)(001]	[(00))(001]	[00)((001])	[(001))(00]	[001)((00])	[(00))((001])
[00)[001)	[(00))[001)	[00)[(001))	[(001))[00)	[001)[(00))	[(00))[((001))
[00)[001]	[(00))[001]	[00)[(001)]	[(001))[00]	[001)[(00)]	[(00))[((001)]

[00](001)	[(00)](001)	[00]((001))	[(001)](00)	[001]((00))	[(00)]((001))
[00](001]	[(00)](001]	[00]((001])	[(001)](00]	[001]((00])	[(00)]((001])
[00][001)	[(00)][001)	[00][[(001))	[(001)][00)	[001][[(00))	[(00)][[((001))
[00][001]	[(00)][001]	[00][[(001)]	[(001)][00]	[001][[(00)]	[(00)][[((001)].

3.6. (FI = StrRep = (1.2, 2.3)-System

(00)(012)	((00))(012)	(00)((012))	((012))(00)	(012)((00))	((00))((012))
(00)(012]	((00))(012]	(00)((012])	((012))(00]	(012)((00])	((00))((012])
(00)[012)	((00))[012)	(00)[(012))	((012))[00)	(012)[(00))	((00))[(012))
(00)[012]	((00))[012]	(00)[(012)]	((012))[00]	(012)[(00)]	((00))[(012)]

(00](012)	((00)](012)	(00]((012))	((012)](00)	(012]((00))	((00)]((012))
(00](012]	((00)](012]	(00]((012])	((012)](00]	(012]((00])	((00)]((012])
(00][012)	((00)][012)	(00][(012))	((012)][00)	(012)[(00))	((00)][(012))
(00][012]	((00)][012]	(00][(012)]	((012)][00]	(012)[(00)]	((00)][(012)]

[00)(012)	[(00))(012)	[00)((012))	[(012))(00)	[012)((00))	[(00))((012))
[00)(012]	[(00))(012]	[00)((012])	[(012))(00]	[012)((00])	[(00))((012])
[00][012)	[(00))[012)	[00)[(012))	[(012))[00)	[012)[(00))	[(00))[(012))
[00][012]	[(00))[012]	[00)[(012)]	[(012))[00]	[012)[(00)]	[(00))[(012)]

[00](012)	[(00)](012)	[00]((012))	[(012)](00)	[012]((00))	[(00)]((012))
[00](012]	[(00)](012]	[00]((012])	[(012)](00]	[012]((00])	[(00)]((012])
[00][012)	[(00)][012)	[00][(012))	[(012)][00)	[012][(00))	[(00)][(012))
[00][012]	[(00)][012]	[00][(012)]	[(012)][00]	[012][(00)]	[(00)][(012)].

3.7. (FI = ObjSys = (1.3, 2.1)-System

(01)(000)	((01))(000)	(01)((000))	((000))(01)	(000)((01))	((01))((000))
(01)(000]	((01))(000]	(01)((000)]	((000))(01]	(000)((01)]	((01))((000)]
(01)[000)	((01))[000)	(01)[(000))	((000))[01)	(000)[(01))	((01))[((000))
(01)[000]	((01))[000]	(01)[(000)]	((000))[01]	(000)[(01)]	((01))[((000)]

(01](000)	((01)](000)	(01]((000))	((000)](01)	(000]((01))	((01)]((000))
(01](000]	((01)](000]	(01]((000)]	((000)](01]	(000]((01)]	((01)]((000)]
(01][000)	((01)][000)	(01][((000))	((000)][01)	(000)][(01))	((01)][((000))
(01][000]	((01)][000]	(01][((000)]	((000)][01]	(000)][(01)]	((01)][((000)]

[01)(000)	[(01))(000)	[01)((000))	[(000))(01)	[000)((01))	[(01))((000))
[01)(000]	[(01))(000]	[01)((000)]	[(000))(01]	[000)((01)]	[(01))((000)]
[01)[000)	[(01))[000)	[01)[(000))	[(000))[01)	[000)[(01))	[(01)][((000))
[01)[000]	[(01))[000]	[01)[(000)]	[(000))[01]	[000)[(01)]	[(01)][((000)]

[01](000)	[(01)](000)	[01]((000))	[(000)](01)	[000]((01))	[(01)]((000))
[01](000]	[(01)](000]	[01]((000)]	[(000)](01]	[000]((01)]	[(01)]((000)]
[01][000)	[(01)][000)	[01][((000))	[(000)][01)	[000][((01))	[(01)][((000))
[01][000]	[(01)][000]	[01][((000)]	[(000)][01]	[000][((01)]	[(01)][((000)].

3.8. (FI = ObjAbb= (1.3, 2.2)-System

(01)(001)	((01))(001)	(01)((001))	((001))(01)	(001)((01))	((01))((001))
(01)(001]	((01))(001]	(01)((001])	((001))(01]	(001)((01])	((01))((001])
(01)[001)	((01))[001)	(01)[(001))	((001))[01)	(001)[(01))	((01))[((001))
(01)[001]	((01))[001]	(01)[(001)]	((001))[01]	(001)[(01)]	((01))[((001)]

(01](001)	((01)](001)	(01]((001))	((001)](01)	(001]((01))	((01)]((001))
(01](001]	((01)](001]	(01]((001])	((001)](01]	(001]((01])	((01)]((001])
(01][001)	((01)][001)	(01][[(001))	((001)][01)	(001][[(01))	((01)][[((001))
(01][001]	((01)][001]	(01][[(001)]	((001)][01]	(001][[(01)]	((01)][[((001)]

[01)(001)	[(01))(001)	[01)((001))	[(001))(01)	[001)((01))	[(01))((001))
[01)(001]	[(01))(001]	[01)((001])	[(001))(01]	[001)((01])	[(01))((001])
[01)[001)	[(01))[001)	[01)[(001))	[(001))[01)	[001)[(01))	[(01))[((001))
[01)[001]	[(01))[001]	[01)[(001)]	[(001))[01]	[001)[(01)]	[(01))[((001)]

[01](001)	[(01)](001)	[01]((001))	[(001)](01)	[001]((01))	[(01)]((001))
[01](001]	[(01)](001]	[01]((001])	[(001)](01]	[001]((01])	[(01)]((001])
[01][001)	[(01)][001)	[01][[(001))	[(001)][01)	[001][[(01))	[(01)][[((001))
[01][001]	[(01)][001]	[01][[(001)]	[(001)][01]	[001][[(01)]	[(01)][[((001)].

3.9. (FI = ObjRep = (1.3, 2.3)-System

(01)(012)	((01))(012)	(01)((012))	((012))(01)	(012)((01))	((01))((012))
(01)(012]	((01))(012]	(01)((012])	((012))(01]	(012)((01])	((01))((012])
(01)[012)	((01))[012)	(01)[(012))	((012))[01)	(012)[(01))	((01))[(012))
(01)[012]	((01))[012]	(01)[(012)]	((012))[01]	(012)[(01)]	((01))[(012)]

(01](012)	((01)](012)	(01]((012))	((012)](01)	(012]((01))	((01)]((012))
(01](012]	((01)](012]	(01]((012])	((012)](01]	(012]((01])	((01)]((012])
(01][012)	((01)][012)	(01][(012))	((012)][01)	(012][(01))	((01)][(012))
(01][012]	((01)][012]	(01][(012)]	((012)][01]	(012][(01)]	((01)][(012)]

[01)(012)	[(01))(012)	[01)((012))	[(012))(01)	[012)((01))	[(01))((012))
[01)(012]	[(01))(012]	[01)((012])	[(012))(01]	[012)((01])	[(01))((012])
[01)[012)	[(01))[012)	[01][(012))	[(012))[01)	[012][(01))	[(01)][(012))
[01)[012]	[(01))[012]	[01][(012)]	[(012))[01]	[012][(01)]	[(01)][(012)]

[01](012)	[(01)](012)	[01]((012))	[(012)](01)	[012]((01))	[(01)]((012))
[01](012]	[(01)](012]	[01]((012])	[(012)](01]	[012]((01])	[(01)]((012])
[01][012)	[(01)][012)	[01][(012))	[(012)][01)	[012][(01))	[(01)][(012))
[01][012]	[(01)][012]	[01][(012)]	[(012)][01]	[012][(01)]	[(01)][(012)].

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